

THE METHOD OF FUZZY MULTIFACTORIAL
EVALUATION OF LUNG FUNCTION

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ABSTRACT

In this paper, we make use of the method of multifactor evaluation of multiple stage to carry on evaluation for the lung function. The parrotty rate of clinical diagnose of breath function is 98.7% basde on the result of clinical analysis of lung function in case reports of 856 of patients.

Key Word: Lung function Fuzzy multifactorial evaluation

1. Preface

The measurement of lung function is a subject assessed person respiratory function, basde on respiratory physiology of the human body. Now the clinic workers more and more pay great attention to the measurement of lung function. We assess the ditermination of charater and ration which is the patients with illness of lung and breath. We assess objectively nature or extent of lung function or degree restored and condition of labour force as well as risk of operation. The measurement of lung function aid in clinic diagnose and distinguish diagnosis of sickness, basde on results of measurement of the lung function, therefore it is applied extensive increasingly.

Now it is more important how to evaluate multifactorially the lung function of the patients. As we know: there are many factor targets reflecting the patients breath functions to be better or worse. It is a more complex problem that multifactorially evaluate the condition of lung function of a patient. We analysing and assessing the results of lung function, it is difficult for us to manage and solve the problem by using this common method of breath function because it is difference reflected condition of every factor targets of various illness. In this paper, we make use of the method of multifactor evaluation of multiple stage to carry on evaluation for the breath function of patients. The Fuzzy Math Model and applying method-multifactorial evaluation of breath funcion ara intraduced as follow.

2. Math Model is Formed

We make use of the method of multifactorial evaluation for the lung function. First of all, we take the method of trapezoidal distributive function as a bridge. Based on it we establish membership function of every grade (that is normal, light, medium and heavy degree) about every target according to each target value of measurement of lung function. Secondly, the number of weight of every target based on clinical data and experience. Finally, we get the result based on the principle of maximal membership degree of multifactorial evaluation. The above problems have been solved by this way is better.

The method expounded with the targets of the F-V curve as follows. We select the four targets of flow curve (that is V_{max75} , V_{max50} , V_{max25}). We form the factor set which is shown in vector $U = \{u_1, u_2, u_3, u_4\}$. Distribution of number of weight in the whole for all the factors, such as U_i is respectively $a_1=0.18$, $a_2=0.3$, $a_3=0.22$, $a_4=0.3$. This is shown in vector $A = \{a_1, a_2, a_3, a_4\}$. It is fuzzy set on U . Then evaluation set is formed. We divide the grade of evaluation of the lung function into four classes and establish standard of grade based on clinical data of lung function. Let $V_1 = \text{normal}$, $V_2 = \text{light degree}$, $V_3 = \text{medium degree}$, $V_4 = \text{heavy degree}$. The normal shows the lung function is normal. The light or medium and heavy degree show relatively the lung function to reduce lightly, medially, heavily. Therefore the evaluation set $V = \{V_1, V_2, V_3, V_4\}$.

Now we make-up relation matrix R based on membership function between factor set and evaluation set.

$$R = \{(U_i, V_j, U_{rij}) / i=1, \dots, 4; j=1, \dots, 4.\}$$

If R have got we carry on operation based on formula $B = A \circ R$. The operator " \circ " is calculated by adding and multiplying.

$$B = A \circ R \quad (1)$$

$$= (a_1, a_2, a_3, a_4) \begin{bmatrix} r_{11} & r_{12} & r_{13} & r_{14} \\ r_{21} & r_{22} & r_{23} & r_{24} \\ r_{31} & r_{32} & r_{33} & r_{34} \\ r_{41} & r_{42} & r_{43} & r_{44} \end{bmatrix}$$

$$= (b_1, b_2, b_3, b_4)$$

$$\text{Among them } B_j = \sum_{k=1}^n a_k r_{kj} \quad (j = 1, \dots, 4) \quad (2)$$

If $B_{j_0} = \text{MAX}_{1 < j < 4} b_j$ then the appraisal object is evaluated to get a comment V_{j_0} . This is the final result of multifactorial evaluation.

3. Applying of the Method

Now taking the obstructive ventilation for example. We establish normal standard of every target (that is $V_{\max 25/75}$, $V_{\max 75}$, $V_{\max 50}$, $V_{\max 25}$). The normal range is 80%-120% which is the actual value as compared with presumption value. In turn the light degree is 60%-80%; the medial degree is 60%-40%; the heavy degree is under 40%. Therefore the range of each grade is shown $V_1 [120, 80]$, $V_2 [80, 60]$, $V_3 [60, 40]$, $V_4 [40, 0]$.

We establish membership function between every factor and each class. In order to make them simple, they fall adopted trapezoidal distributive function. If $f_{ij}(x)$ ($i = 1, \dots, 4$; $j = 1, \dots, 4$) show respectively membership function which is factor U_i relative to the grade V_j .

We line up the $f_{ij}(x)$ in part as follows but others $f_{ij}(x)$ are omitted.

$$f_{ij}(x) = \begin{cases} 1 & , (80 \leq X \leq 120) \\ X/80 & , (80 > X > 0) \end{cases} \quad f_{ij}(x) = \begin{cases} 1/40 (120-X) & , (80 \leq X \leq 120) \\ 1 & , (80 \leq X \leq 60) \\ 1/60 (x) & , (60 > X > 0) \end{cases}$$

$$f_{ij}(x) = \begin{cases} (120-X)/60 & , (60 \leq X \leq 120) \\ 1 & , (60 > X > 40) \\ X/40 & , (40 > X > 0) \end{cases} \quad f_{ij}(x) = \begin{cases} (120-X)/80 & , (40 \leq X \leq 120) \\ 1 & , (40 > X > 0) \end{cases}$$

... .. , ,

For the above membership we can reckon respectively value of membership function of each target which is above the measurement of patient and it is show in matrix R for example. The four measurement results of a patient V_{\max} is 64%, 80%, 65% and 30% respectively. We from the relationship matrix R_1 .

Let the $V_{\max 75}$, $V_{\max 50}$, $V_{\max 25}$ and $V_{\max 25/75}$ are subordinated to x respectively. Then we get every value of $f_{ij}(V_{\max 25/75})$ as follows.

$f_{11}(V_{\max 25/75}) = 0.675$, $f_{12}(V_{\max 25/75}) = 0.9$, $f_{13}(V_{\max 25/75}) = 1$,
 $f_{14}(V_{\max 25/75}) = 0.825 \dots$ then is got

$$R_1 = \begin{bmatrix} 0.675 & 0.900 & 1.000 & 0.825 \\ 1.000 & 1.000 & 0.667 & 0.500 \\ 0.813 & 1.000 & 0.917 & 0.688 \\ 0.375 & 0.500 & 0.750 & 1.000 \end{bmatrix}$$

According to formula (1) and (2), we get

$$B = (0.7089, 0.8500, 0.8620, 0.7640)$$

Therefor the V3 get comment (diagnose) of the patient. It is medial reduction of ventilation function of small trachea obstruction.

We can also get comment of other targets reflected breath function all the same. Finally, we make use of the method of fuzzy analyses of multiple-stage to get the result of diagnose for lung function of the patients basde on centre principle of fuzzy gravity.

4. Conclusion

In this paper, the method of multifactorial evaluation is applied to evaluation of lung function. The linchpin upon which problem depends is to find a bridge in Meth Method. Here we establish membership function between each evaluation target and evaluation object. They full adopted trapezoidal distribution function. We make use of method of multifactorial evaluaton to carry on management for diagnose of lung function. The parrotry rate of clinical diagnose of lung function is 98.7% basde on the results of clinical analysis of lung function in case reports of 856 patients. The method is of actual value of clinical medicine. It may be applied to practise of clinical medicine.

5. Reference

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